

# Exploring Deep Closest Point: Learning Representations for Point Cloud Registration

Machine Learning for 3D Geometry

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#### **Problem Definition**



- Align two point clouds
- Find a rigid transformation -> globally consistent
- Might have noise, occlusions



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Source: https://new.certainty3d.com/blog/what-is-point-cloud-registrati2n/



#### **Related Work**

- Traditional approach:
  - Iterative Closest Point (ICP) [Besl and McKay, 1992]
- Deep learning approach
  - Extract point embeddings
  - Find **corresponding** points
  - Estimate **transformation** (rotation and translation)
- Deep Closest Point [Wang and Solomon, 2019]
- Generate better point embeddings [Kadam et al. 2021]
- Better point matching [Choy et al. 2020, Sarlin et al. 2020]
- Soft assignments, weighted SVD [Yan et al. 2019]

#### Deep Closest Point (DCP)

ПΠ

- Feature extraction: Dynamic Graph Convolutional Neural Networks (DGCNN) [Wang et al. 2019]
- Point matching: Transformer [Vaswani et al. 2017]
- Transformation estimation: Differentiable SVD







- Generate features per input point
- DGCNN explicitly incorporates local geometry (compared to PointNet)
- Local features from DGCNN are critical for high quality matching



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# Transformer

- Module to learn co-contextual information
- Attention model learns asymmetric function:

 $\phi: \mathbb{R}^{N \times P} \times \mathbb{R}^{N \times P} \to \mathbb{R}^{N \times P}$ 

Then this function is used as a residual on features:

 $\Phi_{\mathcal{X}} = \mathcal{F}_{\mathcal{X}} + \phi(\mathcal{F}_{\mathcal{X}}, \mathcal{F}_{\mathcal{Y}})$ 

 $\Phi_{\mathcal{V}} = \mathcal{F}_{\mathcal{V}} + \phi(\mathcal{F}_{\mathcal{V}}, \mathcal{F}_{\mathcal{X}})$ 

Essentially adds knowledge about other points





#### Pointer Module



- To avoid non-differentiable hard assignments
- Generate singly-stochastic "soft map" from one point cloud to another
- "m" is a soft pointer from each element of X into elements of Y

 $m(\boldsymbol{x}_i, \boldsymbol{\mathcal{Y}}) = \operatorname{softmax}(\Phi_{\boldsymbol{\mathcal{Y}}} \Phi_{\boldsymbol{x}_i}^{\top})$ 

#### SVD Module



- Use soft pointer to generate a matching averaged point in Y
- R, t extracted using SVD over pairings of X to predicted Y
- Differentiation of SVD as in Papadopoulo et al. (included in Pytorch)

 $\hat{\boldsymbol{y}}_i = \boldsymbol{Y}^\top \boldsymbol{m}(\boldsymbol{x}_i, \mathcal{Y}) \in \mathbb{R}^3$ 

#### Approach: Additions



- Additions to DCP
  - Adding **point color** as an additional input signal
  - Independent sampling of source and target point clouds
  - As-Rigid-As-Possible (ARAP) Regularization as additional loss



#### Approach: Datasets

- Mixamo [Adobe, 2018]
  - Training Set
  - $_{\circ}$  Validation Set
- TUM RGBD [Sturm et al., 2012]
  - $\circ$  Test Set



#### Additional Color Input



- Color as a **strong signal** for matching points
- Extend the input vector from [X, Y, Z] to [X, Y, Z, R, G, B]
- Keep the rest of the architecture **fixed**



#### Experiments: Additional Color Input

Mixamo	MSE(R)	RMSE(R)	MAE(R)	MSE(t)	RMSE(t)	MAE(t)
DCP	51.460548	7.173	4.399	0.043476	0.208509	0.075243
DCP + Color	0.171919	0.4114631	0.106271	0.000035	0.005910	0.001755
DCP + Color + Noise	0.874181	0.934976	0.569145	0.000256	0.015988	0.007239

TUM RGBD	MSE(R)	$\operatorname{RMSE}(\mathbf{R})$	MAE(R)	MSE(t)	RMSE(t)	MAE(t)
DCP	387.982239	19.697266	11.2857	0.029045	0.170427	0.113288
DCP + Color	0.24021	0.490117	0.334967	0.000094	0.00967	0.007570
DCP + Color + Noise	0.315961	0.562104	0.373782	0.000101	0.010030	0.008009

# Original point sampling



- Training data generation
  - Source: Take N points
  - Target: Randomly apply rotation and translation
- **One-to-one** correspondence of point

#### Independent Sampling







#### Independent Sampling





#### Experiments: Independent Sampling

	53.342667	$\frac{1}{7.303607}$	4.438653	$\frac{\text{MSE}(\iota)}{0.048586}$	$\frac{\text{RMSE}(\boldsymbol{\iota})}{0.220422}$	$\frac{\mathrm{MAE}(\iota)}{0.077097}$
DCP + Independent Sampling	44.15807	6.645154	4.342775	0.030093	0.173474	0.067707

TUM RGBD	$MSE(\boldsymbol{R})$	$\mathrm{RMSE}(\boldsymbol{R})$	$MAE(\boldsymbol{R})$	$\mathrm{MSE}(t)$	$\mathrm{RMSE}(t)$	MAE(t)
DCP	390.456390	19.759970	11.853582	0.030235	0.173882	0.119560
DCP + Independent Sampling	256.066223	16.002069	10.963472	0.027706	0.166452	0.120926

#### ТΠ

#### ARAP Regularizer [Sorkine and Alexa, 2007]

- As-Rigid-As-Possible
- Punishes bad correspondences
- Neighbour distances should be preserved after transformation
- Additional loss



$$E\left(\mathcal{C}_{i},\mathcal{C}_{i}'\right) = \sum_{j\in\mathcal{N}(i)} \left\| \left(\mathbf{p}_{i}'-\mathbf{p}_{j}'\right) - \mathbf{R}\left(\mathbf{p}_{i}-\mathbf{p}_{j}\right) \right\|^{2}$$



Mixamo	$MSE(\boldsymbol{R})$	$\mathrm{RMSE}(\boldsymbol{R})$	$MAE(\boldsymbol{R})$	$\mathrm{MSE}(t)$	$\mathrm{RMSE}(t)$	MAE(t)
DCP	51.460548	7.173601	4.399128	0.043476	0.208509	0.075243
DCP + Arap	48.080051	6.933978	4.212567	0.050855	0.225510	0.076915

Mixamo	$\mathrm{MSE}(\boldsymbol{R})$	$\mathrm{RMSE}(\boldsymbol{R})$	$MAE(\boldsymbol{R})$	$\mathrm{MSE}(\boldsymbol{t})$	$\mathrm{RMSE}(t)$	$\mathrm{MAE}(t)$
DCP + Color	0.171919	0.414631,	0.106271	0.000035	0.004833	0.001755
DCP + Color + ARAP	0.171727	0.451673	0.083366	0.000044	0.006611	0.001589

TUM RGBD	$MSE(\boldsymbol{R})$	$\mathrm{RMSE}(\boldsymbol{R})$	$MAE(\boldsymbol{R})$	$\mathrm{MSE}(t)$	$\mathrm{RMSE}(t)$	MAE(t)
DCP + Color	0.240215	0.490117	0.334967	0.000094	0.009678	0.007570
DCP + Color + ARAP	0.169369	0.411545	0.270199	0.000075	0.008643	0.007129



#### **Experiments: Final Results**

TUM RGBD	$\mathrm{MSE}(\boldsymbol{R})$	$\mathrm{RMSE}(\boldsymbol{R})$	$\mathrm{MAE}(\boldsymbol{R})$	$\mathrm{MSE}(t)$	$\mathrm{RMSE}(t)$	MAE(t)
Original DCP	1.573519	1.254400	0.890428	0.000277	0.016652	0.01259
DCP + Color + ARAP	0.169369	0.411545	0.270199	0.000075	0.008643	0.007129









#### Conclusion & Future Work



#### • Conclusions:

- Color input has the biggest impact
- ARAP regularization slightly better, not a huge difference
- Harder to learn if source and target independently sampled

#### • Future Work:

- Can be made robust to lighting changes
- Training with noise
- Uniform sampling from mesh triangles for more even input points
- Improving the Mixamo dataset by adding more variation and characters, occlusions

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# Thank you for your attention [Bahdanau et al., 2014]!